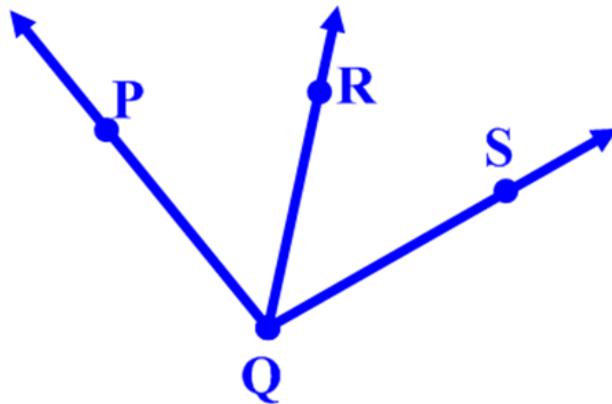


Post. 2-10 Protractor Post.

∠'s are measured in units called DEGREES

Post. 2.11 The \angle Addition Post.

If pt. R is in the interior of $\angle PQS$,
then $m\angle PQR + m\angle RQS = m\angle PQS$



Th. 2-3 Supplement Th.

If 2 \angle 's form a linear pair, then they are supplementary

Th. 2-4 Complement Th.

If 2 adj. \angle 's form rt. \angle , then they are complementary.

Th. 2-5

Congruence of \angle 's is reflexive, symmetric, and transitive

Th. 2-6

\angle 's supp. to the same \angle or to $\cong \angle$'s are \cong

Th. 2-7

\angle 's comp. to the same \angle or to $\cong \angle$'s are \cong

Th. 2-8

Vertical \angle 's are \cong

Th. 2-9

\perp lines intersect to form 4 rt. \angle 's

Th. 2-10

All right \angle 's are \cong

Th. 2.11

\perp lines form \cong adj. \angle 's

Th. 2.12

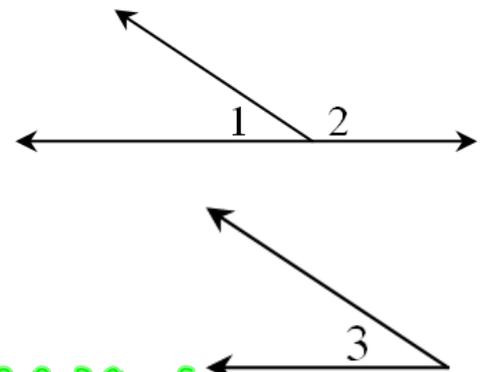
**If 2 \angle 's are \cong and supp.,
then each \angle is a rt. \angle**

Th. 2.13

If $2 \cong \angle$'s form a linear pair, then they are rt. \angle 's

Given: $\angle 1$ and $\angle 2$ are adj. \angle 's, $\angle 1 \cong \angle 3$

Prove: $\angle 2$ and $\angle 3$ are supp. \angle 's



Statements	Reasons
① $\angle 1$ & $\angle 2$ are adj \angle 's $\angle 1 \cong \angle 3$	① Given

Given: $\overrightarrow{EA} \perp \overrightarrow{EC}$; $\overrightarrow{EB} \perp \overrightarrow{ED}$

Prove: $\angle 1 \cong \angle 3$

