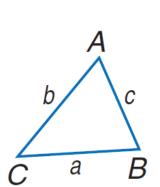
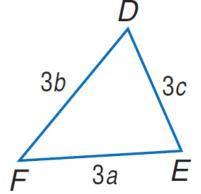
Proportional Perimeters Theorem

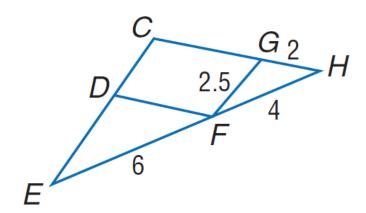
If 2 Δ 's are \sim , then the perimeters are proportional to the measures of the corresponding sides.

In other words, the perimeters of ~ triangles reduces to the same scale factor as the corresponding sides.

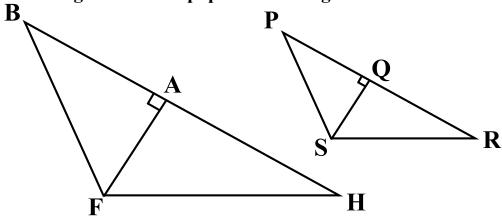




1. If $\triangle DEF \sim \triangle GFH$, find the perimeter of $\triangle DEF$.



Triangle drawn on paper and enlarged or reduced....



Special Segments of Similar Triangles

If 2 Δ 's are \sim , then the corresponding altitudes, angle bisectors, and medians reduce to the scale factor of the corresponding sides.

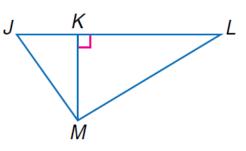
In the figure, $\triangle JLM \sim \triangle QST$.

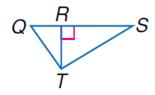
 \overline{KM} is an altitude of $\triangle JLM$, and

 \overline{RT} is an altitude of $\triangle QST$.

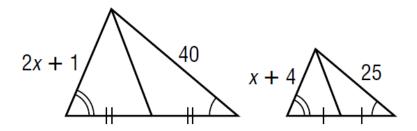
Find RT if JL = 12, QS = 8, and

KM = 5.

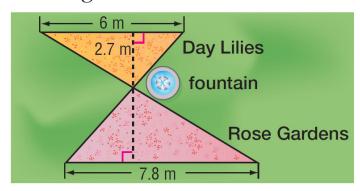




Find x.



LANDSCAPING The landscaping team at a botanical garden is planning to add sidewalks around the fountain. The gardens form two similar triangles. Find the distance from the fountain to the rose gardens.



Find the perimeter of **10.** $\triangle CBH$, if $\triangle CBH \sim \triangle FEH$,

ADEG is a parallelogram, CH = 7, FH = 10, FE = 11,

and EH = 6 $C = \frac{A}{6}$ $C = \frac{A}{6}$ $C = \frac{A}{6}$

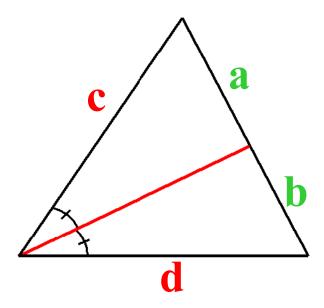
Angle Bisector Theorem

An \angle bisector in a \triangle separates the opposite side into segments that have the same ratio as the other 2 sides.

$$\frac{AD}{DB} = \frac{AC}{BC} \leftarrow \text{segments with vertex } A$$

$$\leftarrow \text{segments with vertex } B$$

$$A D E$$



Find x.

