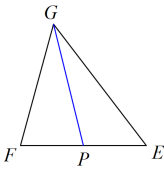
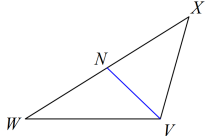
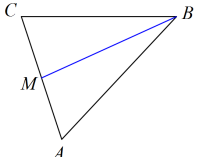


More Facts about Triangles (Beginning of Chapter 5: Relationships in Triangles)

Simple facts to add to our repertoire (that means, more interesting things we know about triangles that we can use to answer questions about triangles)!

A **median of a triangle** connects one angle of a triangle to the *midpoint* of the opposite side of the triangle.

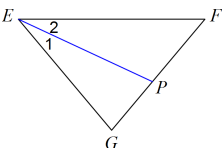
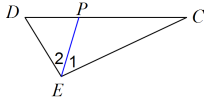
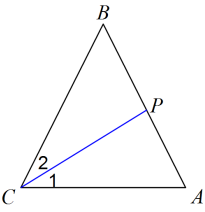
How is this information useful? Look at the following 3 examples:

<p>Given segment GP is a median of triangle GFE, Find PE if FE = 2</p>  <p>Since segment GP is the median, we know that P is the midpoint of segment FE, so that means if FE = 2, then PE = $\frac{1}{2}$ (FE) PE = $\frac{1}{2}$ (2) PE = 1</p>	<p>Given that segment VN is a median of triangle XVW, Find NX if NW = 4.6</p>  <p>Since N is the midpoint of segment WX, then WN = NX because of definition of midpoint, so: NW = NX 4.6 = NX</p>	<p>Given that segment BM is a median of triangle ABC, Find CA if MA = 5</p>  <p>Since M is the midpoint of segment CA, and CA is the whole thing, then MA = $\frac{1}{2}$(CA), 5 = $\frac{1}{2}$(CA) and 10 = CA</p>
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ASSIGNMENT: USE WHAT YOU HAVE SEEN HERE TO WORK ON THE WORKSHEET "MEDIANS."

An **angle bisector** does just that – it *bisects* one angle of the triangle, and does not touch any special point on the opposite side. **All it does it bisect the one angle!**

How is this information useful? Look at the following 3 examples:

<p>Given that segment EP is the bisector of angle FEG, Find $m\angle 1$ if $m\angle 2 = 25^\circ$.</p>  <p>Since it is given that segment EP is the angle bisector of angle FEG, I know that $m\angle 1 = m\angle 2$, by definition of angle bisector. So, $m\angle 1 = m\angle 2$ (Def. \angle bisector) $m\angle 2 = 25$ (Given) $m\angle 1 = 25$ (Substitution)</p>	<p>Given that segment EP is the bisector of angle CED and $m\angle CED = 96^\circ$. Find $m\angle 1$.</p>  <p>Since it is given that segment EP is the angle bisector of angle CED, I know that $m\angle 1 = \frac{1}{2} m\angle CED$ by the definition of angle bisector. So, $m\angle 1 = \frac{1}{2} m\angle CED$ (Def. \angle bisector) $m\angle CED = 96$ (Given) $m\angle 1 = \frac{1}{2}(96)$ (Substitution) $m\angle 1 = 48$ (Substitution)</p>	<p>Given that segment CP is the bisector of angle ACB and Find $m\angle ACB$ if $m\angle 2 = 31^\circ$.</p>  <p>$m\angle 2 = \frac{1}{2} m\angle ACB$ (Def of \angle bisector) $m\angle 2 = 31$ (Given) $31 = \frac{1}{2} m\angle ACB$ (Substitution) $2(31) = 2(\frac{1}{2}) m\angle ACB$ (Multiplication prop =) $62 = m\angle ACB$ (Substitution)</p>
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ASSIGNMENT: USE WHAT YOU HAVE SEEN HERE TO WORK ON THE WORKSHEET "ANGLE BISECTORS."

SOLUTIONS ARE POSTED, SO YOU MAY CHECK YOUR PROGRESS.