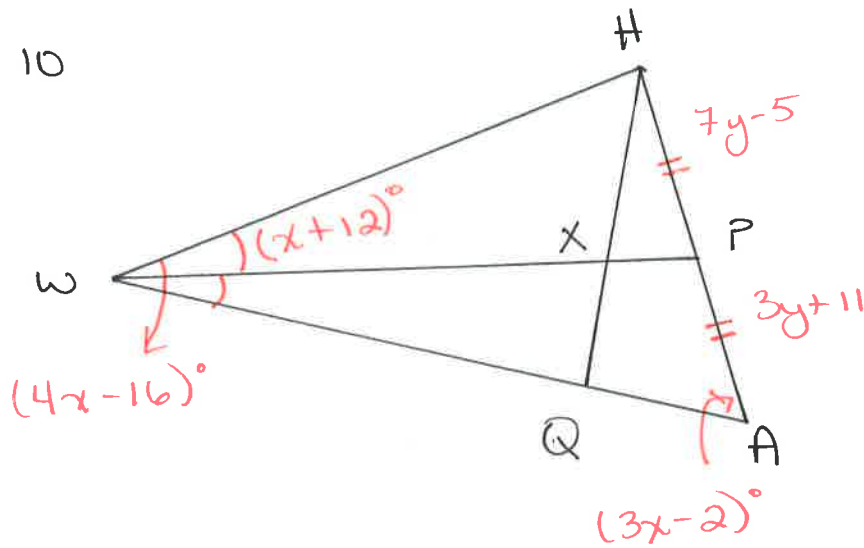


# Geometry

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# 10



Given:

$\overline{WP}$  is a median and an  $\angle$  bisector

$$AP = 3y + 11$$

$$PH = 7y - 5$$

$$m\angle HWP = x + 12$$

$$m\angle PAW = 3x - 2$$

$$m\angle HWA = 4x - 16$$

Find  $x$  and  $y$ :

1) Since  $\overline{WP}$  is a median,  $AP = PH$

$$3y + 11 = 7y - 5$$

$$16 = 4y$$

$$\boxed{4 = y}$$

2) Since  $\overline{WP}$  is an angle bisector,  $m\angle HWA = 2(m\angle HWP)$

$$4x - 16 = 2(x + 12)$$

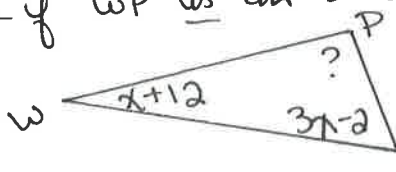
$$4x - 16 = 2x + 24$$

$$2x = 40$$

$$\boxed{x = 20}$$

Is  $\overline{WP}$  also an altitude?

If  $\overline{WP}$  is an altitude,  $m\angle WPA = 90^\circ \dots$



$$x = 20$$

$$x + 12 + 3x - 2 + \quad = 180$$

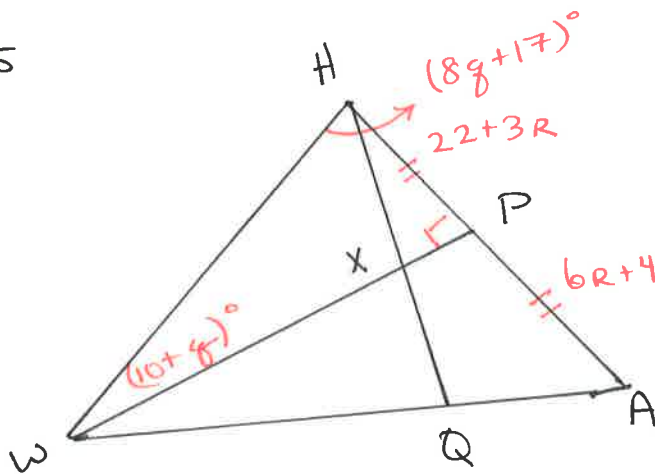
$$20 + 12 + 3(20) - 2 + ? = 180$$

$$? = 90$$

Yes,  $\overline{WP}$  is an altitude  
b/c  $m\angle WPA = 90^\circ$

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# 11



Given:

$\overline{WP}$  is a perpendicular  $90^\circ$

$\frac{1}{2}$  bisector

$$m\angle WHA = 8g + 17$$

$$m\angle HWP = 10 + g$$

$$AP = 6R + 4$$

$$PH = 22 + 3R$$

Find  $R$ ,  $g$ , and  $m\angle HWP$ :

1) Because  $\overline{WP}$  bisects  $\overline{AH}$ ,  $AP = PH$

$$6R + 4 = 22 + 3R$$

$$3R = 18$$

$$\boxed{R = 6}$$

2) Because  $\overline{WP}$  is perpendicular,  $m\angle WPH = 90$   
and angle sum theorem tells us that

$$m\angle HWP + m\angle WHA + m\angle WPH = 180$$

$$10 + g + 8g + 17 + 90 = 180$$

$$9g + 117 = 180$$

$$9g = 63$$

$$\boxed{g = 7}$$

$$3) m\angle HWP = 10 + g$$

$$= 10 + 7$$

$$\boxed{m\angle HWP = 17^\circ}$$